



# Measurements of Turbulence Convection Speeds in Multistream Jets Using Time- Resolved PIV

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*AIAA Aviation 2016 – 5-8 June 2017*

Supported by  
NASA Advanced Air Vehicles Program/Commercial Supersonics Technology Project

# Motivation

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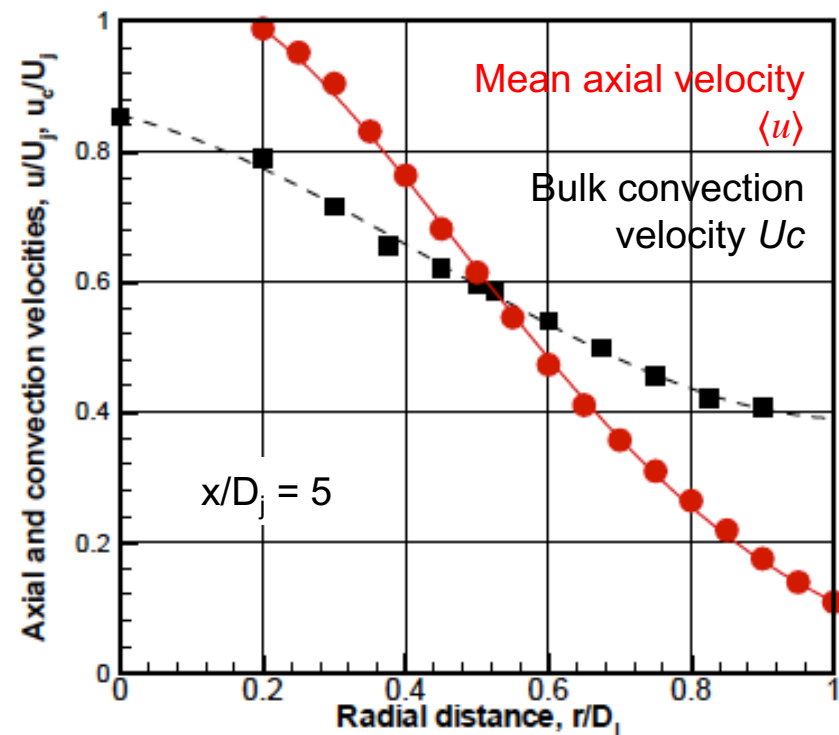
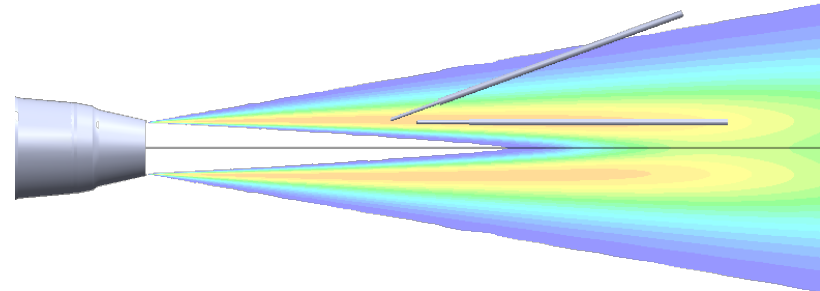


- **Goal:** Noise reduction concepts and prediction tools to engineer them on aircraft.
- Explore noise reduction concepts keyed to local convection speed, influenced by modifying flow profiles (*a la* Papamoschou)
  - Offset externally mixed nozzles
- Only a small part of turbulent energy couples to acoustic far-field, and convection speed one aspect of this ‘filter’.
- Convection speed of turbulent eddies play key role in acoustic analogies.
  - To create a design tool, relate  $U_c$  to parameters from RANS solutions
- Important to note: convection speed of what?
  - Bulk turbulent velocity, pressure, vorticity, scalar
  - Spatial, frequency modes of these parameters?

# Previous experimental work



- Older hot-wire work
  - Two probes, separate in space, measure time delay in correlation
  - Common result shown, radial profile of convection speed  $U_c$ , **mean velocity  $\langle u \rangle$**
  - Usually measured in potential core region
  - $U_c$  matches  $\langle u \rangle$  at  $\langle u \rangle / U_{jet} \cong 0.6$
  - $U_c = 0.6 U_j$  often used as simple model for convection speed at jet cross-section, including hydrodynamic near-field

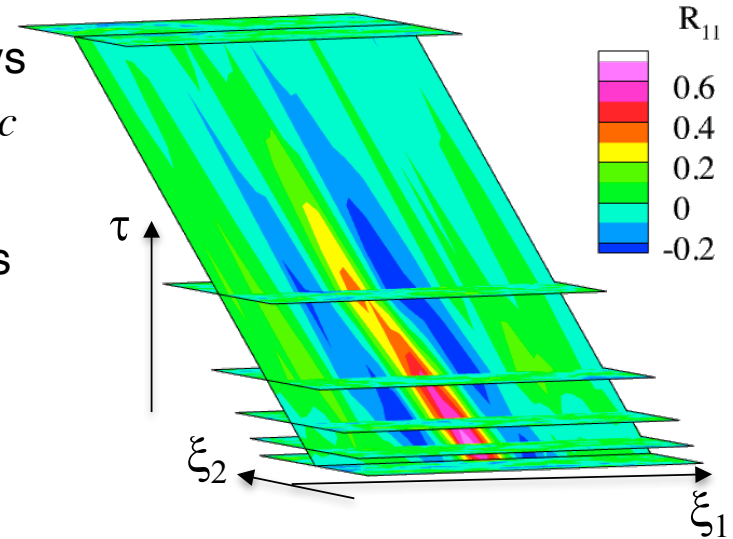


Morris, P.J. and Zaman, K.B.M.Q., "Velocity Measurements in Jets with Application to Noise Source Modeling," AIAA 2009-17 (2009).

# Recent experimental efforts



- Multiple-PIV tests
  - Dual conventional PIV setups
  - Two velocity fields acquired at discrete time delays
  - Correlations of velocity fields give  $R(\xi_1, \xi_2, \tau) \rightarrow Uc$
- Time-resolved PIV tests
  - Acquire velocity fields over contiguous time series
  - Limited spatial fields, typically looking at large x
- PLIF/PDV image correlation
  - Correlation of scalar «==» velocity?
- Time-resolved DGV
  - Limited spatial extent
- Most work limited to single-stream jets
- Need to measure convection speed of turbulence in **multi-stream, non-axisymmetric** jets **efficiently**
  - Limited to bulk turbulence, possibly filtered by frequency

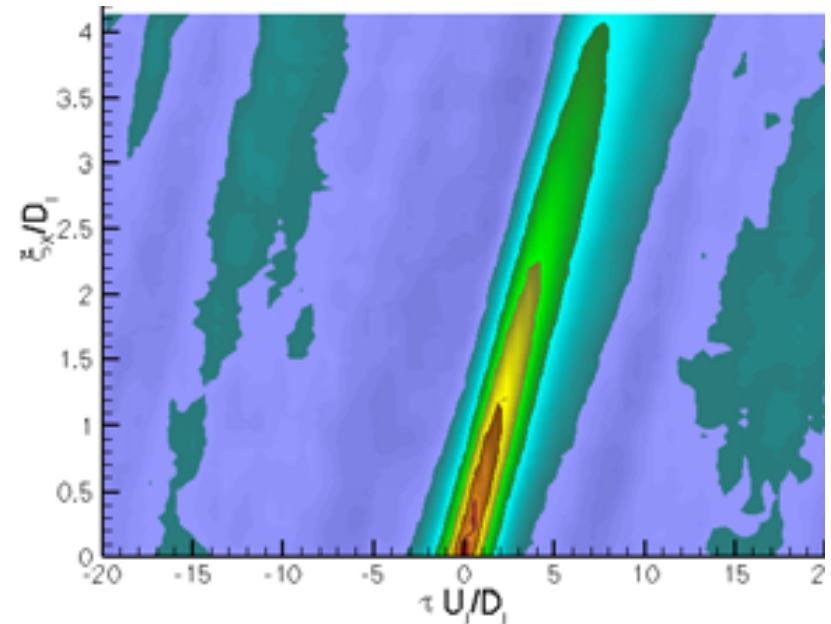
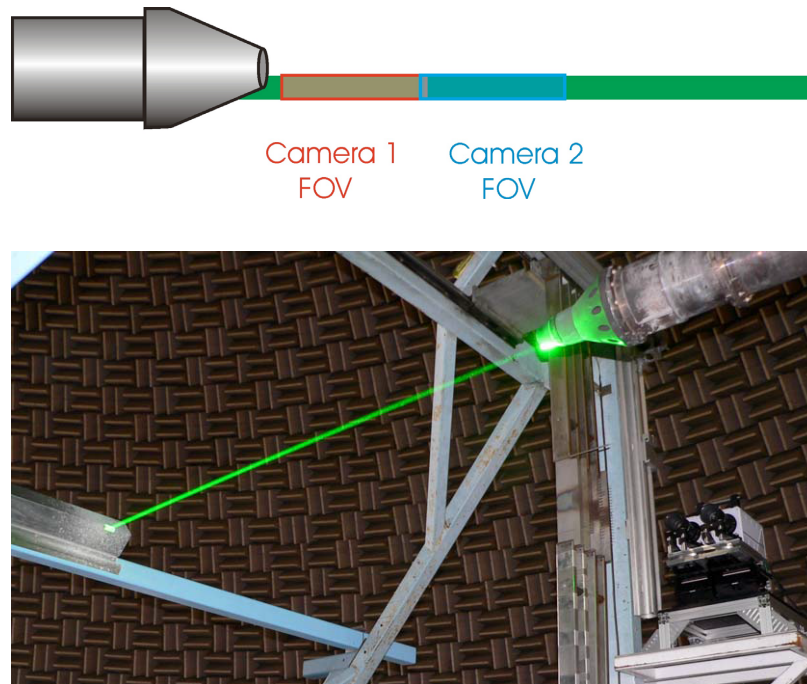


Bridges & Wernet, "Measurements of the Aeroacoustic Sound Source in Hot Jets" AIAA 2003-3130

# Previous TRPIV Methodology



- Previous time-resolved PIV
  - CCD arrays combined in 20x300mm FoV to compliment narrow axial laser sheet
  - 25kHz dual laser rate
  - Acquire axial strips of velocity map movies along lipline and along centerline
  - Process to space-time correlations of velocities, Reynold stresses
  - **Required many moves of optics to capture entire jet**

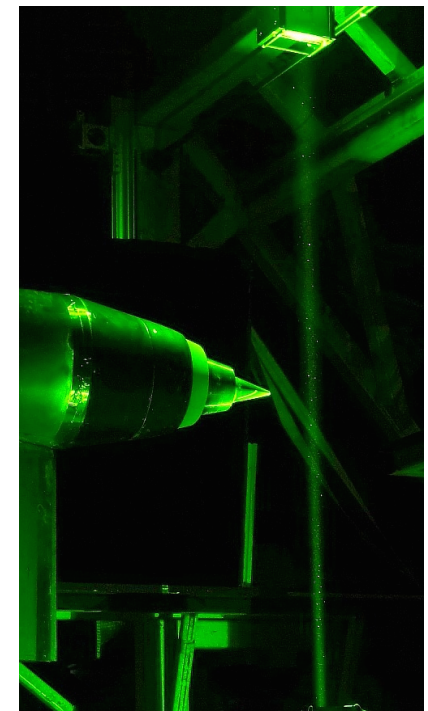
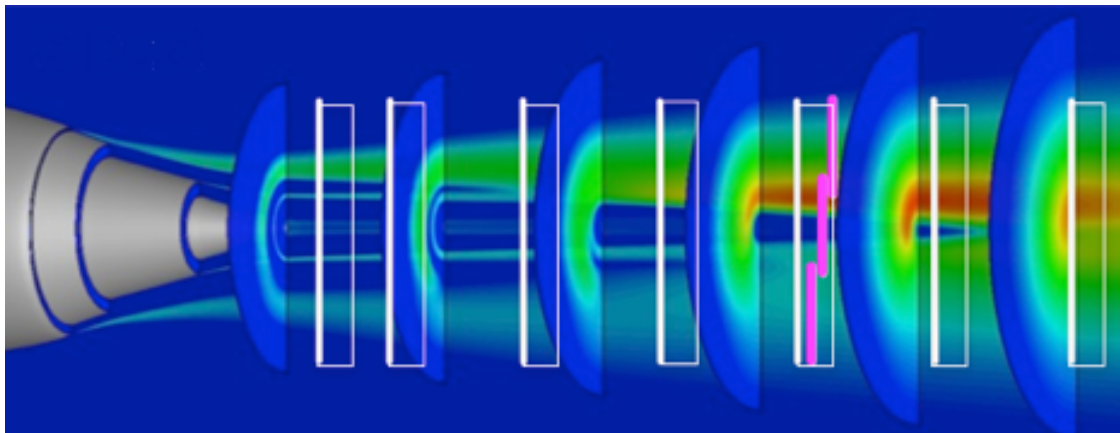


Bridges & Wernet, "Effect of Temperature on Jet Velocity Spectra" AIAA 2007-3628

# New TRPIV methodology



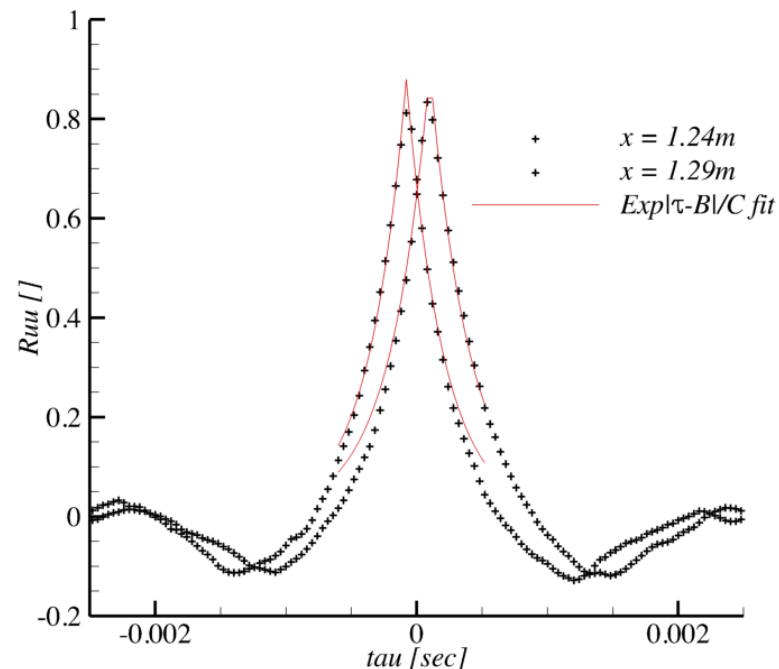
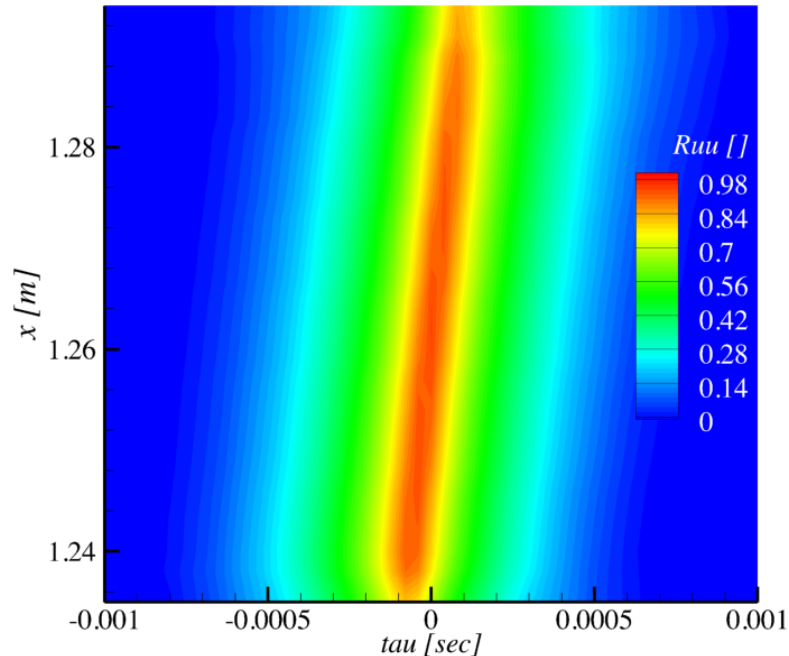
- Lightsheet in streamwise plane, at  $90^\circ$  to jet axis
- Narrow (axial) sheet width
- Camera vertical FoV: 55x140mm, translated three times to acquire full 360mm cross-section of jet
- Acquire velocity maps at 25kHz.
- Process velocity map movie to get axial profile of convection velocity



# Correlation processing



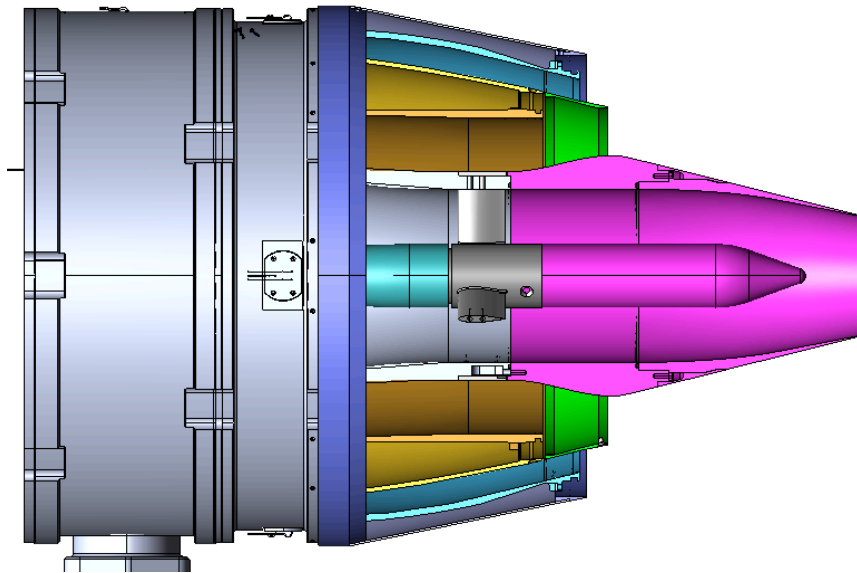
- Basic concept of computing convection velocity is simple:
  - Calculate space-time correlation, track peak  $x(t)$ , take derivative
- Wide range of convection velocities in same measurement
  - FoV limits maximum time delay  $\tau$
  - Acquisition rate limits temporal accuracy
  - Use fitting of single-power exponent to get subsample resolution



# Axisymmetric single-stream jets



- Single-stream (internal plug), 95mm  $\varnothing$
- Replicate literature for cold subsonic jets
- Replicate NASA Consensus data
  - Confirm basic velocity statistics, mean  $\langle u \rangle$  and variance  $\langle uu \rangle$
  - Tanna matrix of velocity, temperature



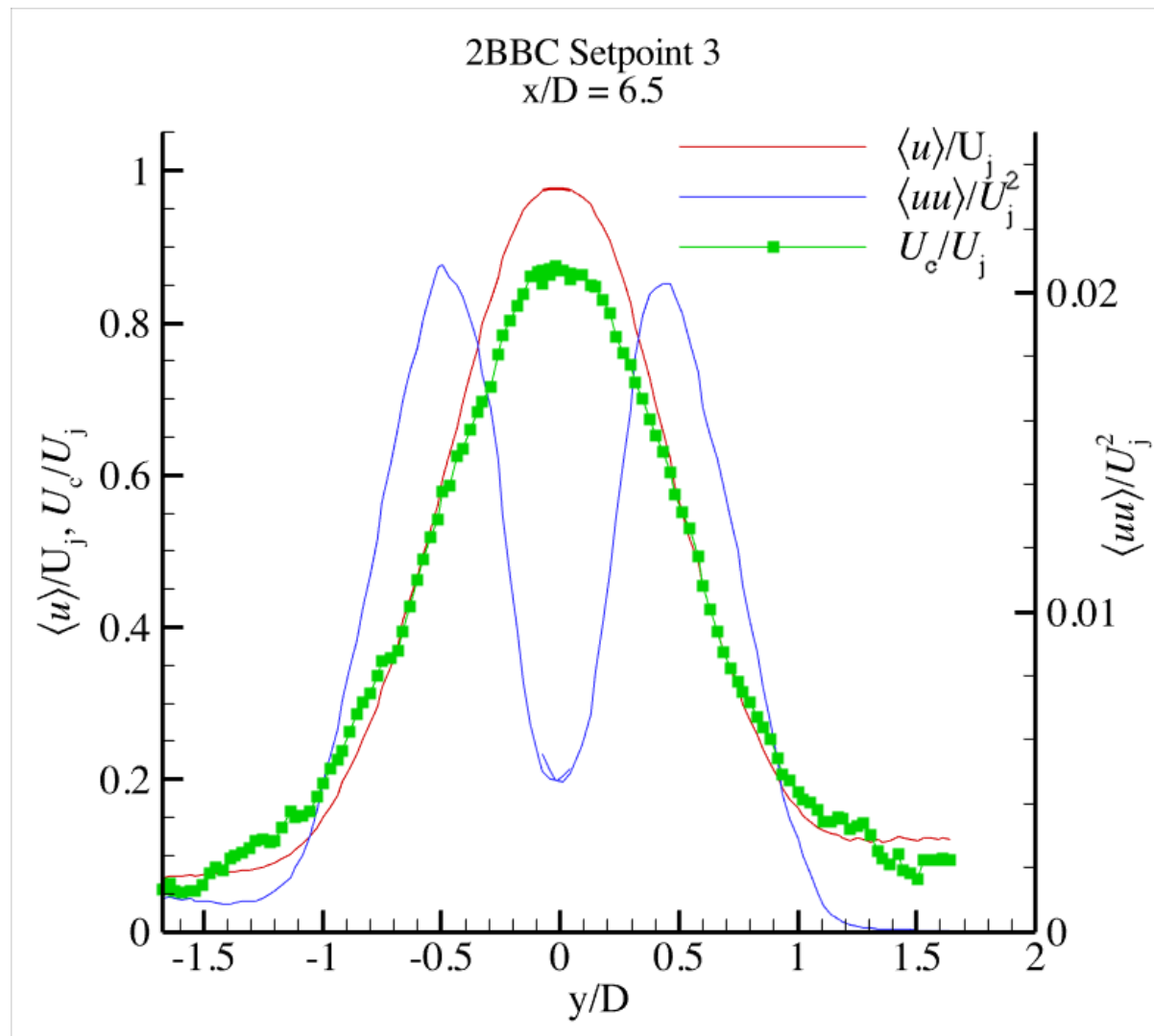
Setpoint	$V_j$ [m/s]	$V_j/c_\infty$	$T_{s,j}/T_\infty$
3	172	0.5	0.96
7	310	0.9	0.84
23	172	0.5	1.76
27	310	0.9	1.76
29	460	1.33	1.76
49	500	1.48	2.70



# Typical result



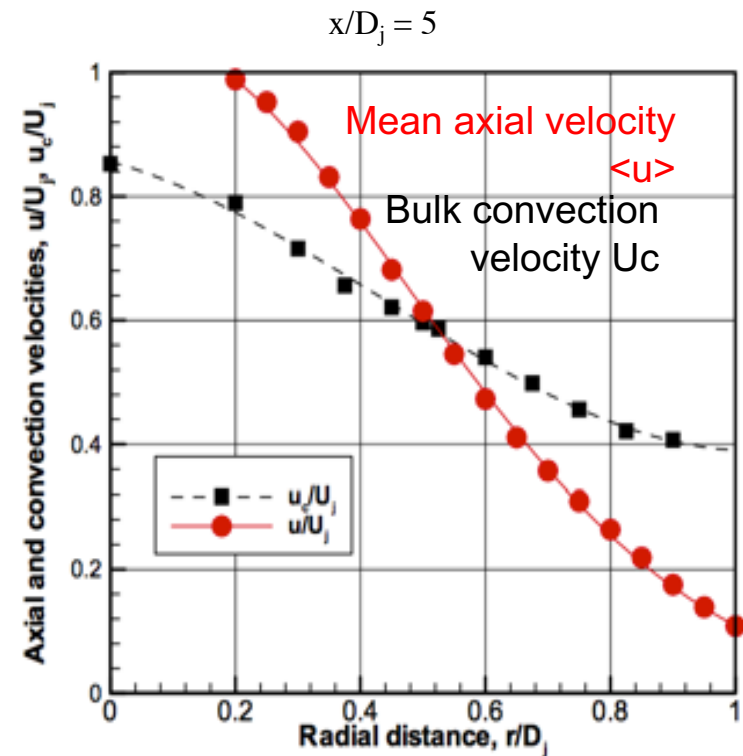
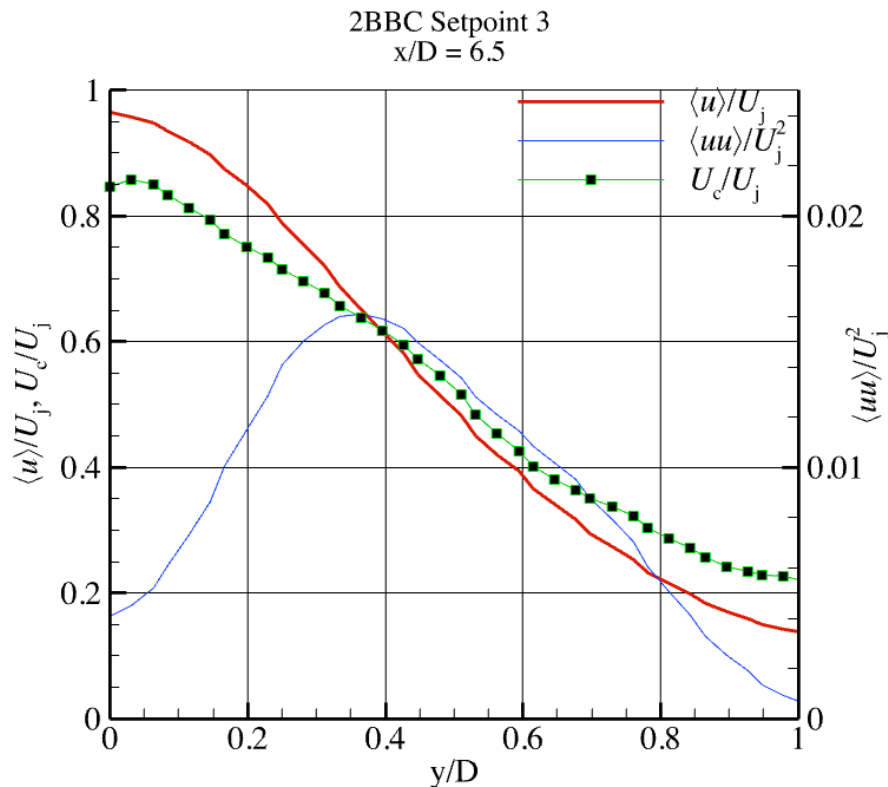
- Single-stream jet (unheated,  $Ma = 0.5$ )



# Comparison with historical data



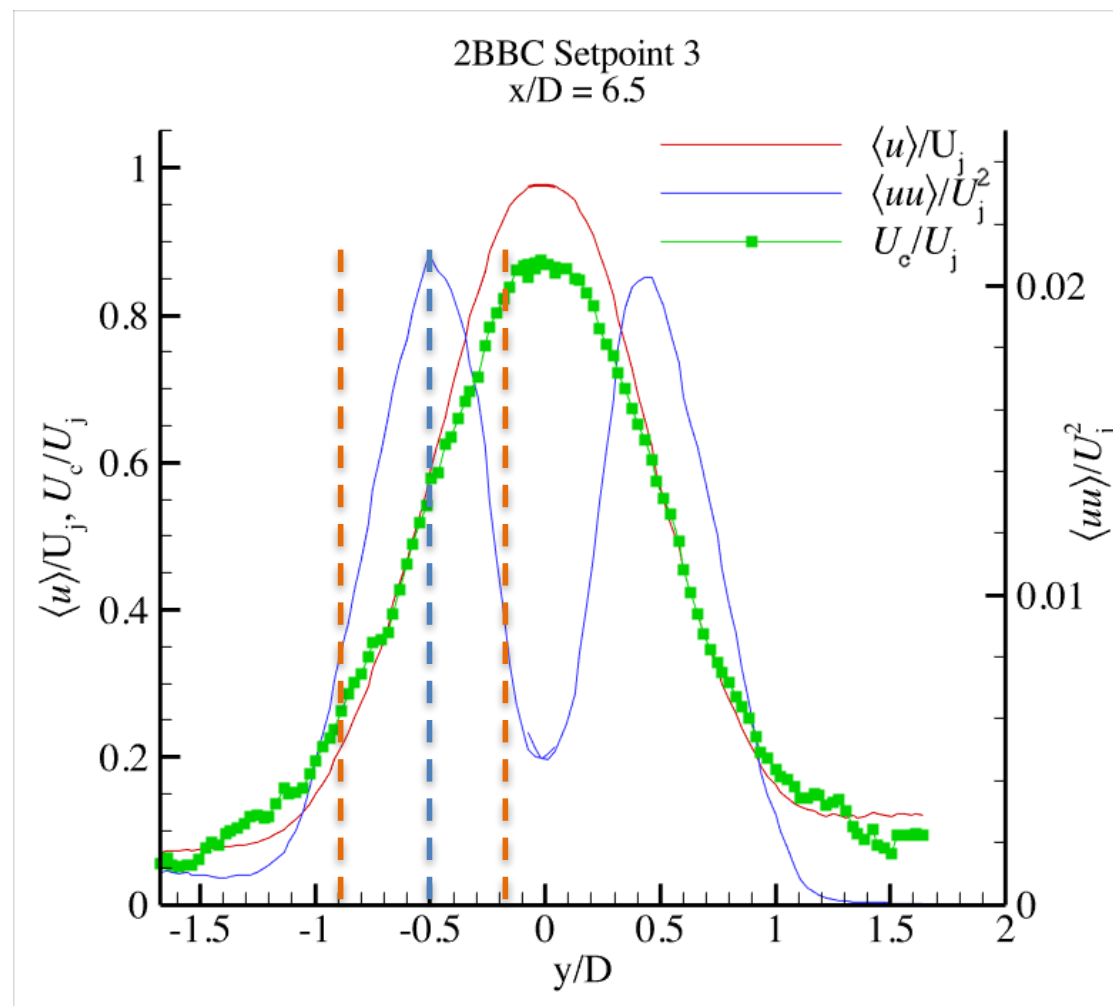
- Single-stream jet (unheated,  $Ma = 0.5$ )
- $x/D_j = 6.5$  (TRPIV) vs  $x/D_j = 5$  (hotwire)
- $U_c = \langle u \rangle$  at  $\langle u \rangle = 0.6$
- TRPIV measures lower  $U_c$  at outer jet edge than hotwire



# Features



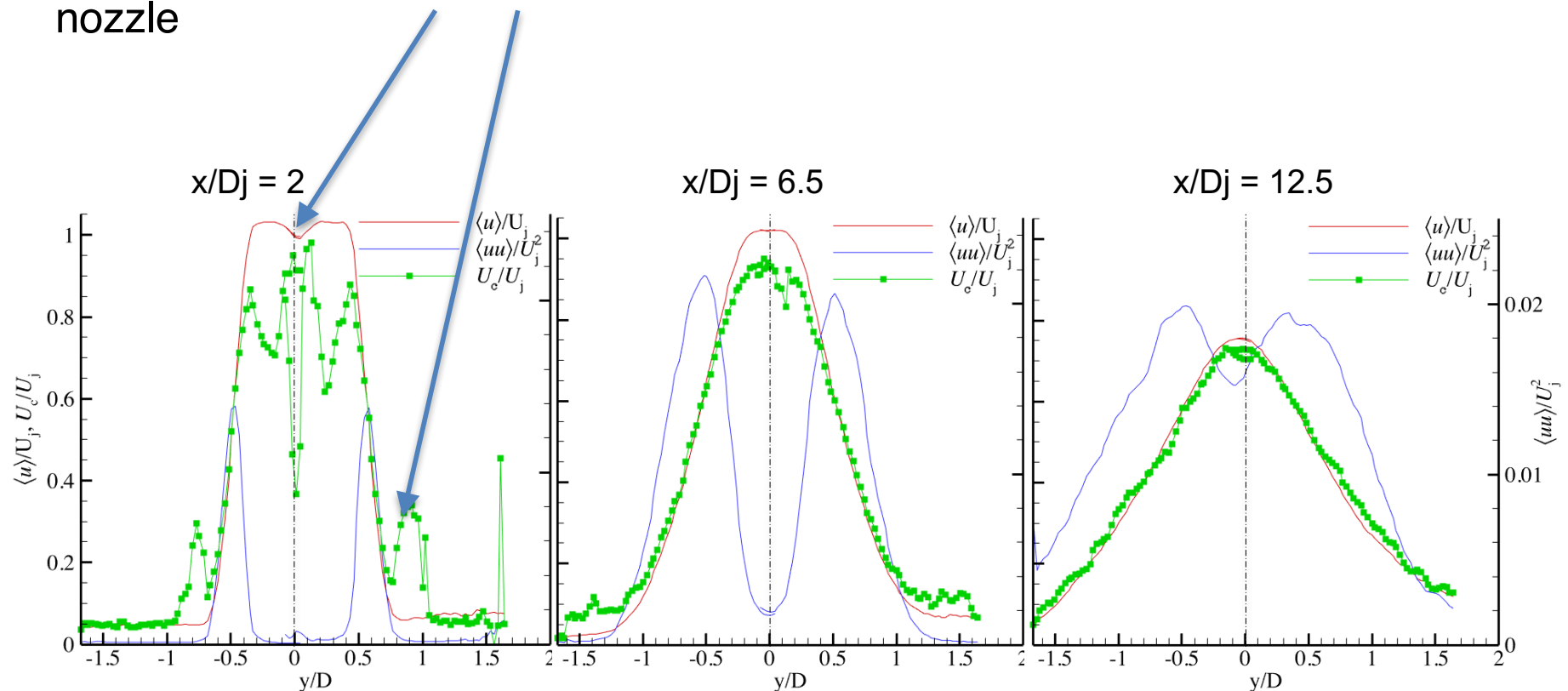
- Single-stream jet (unheated,  $Ma = 0.5$ )
- $U_c = \langle u \rangle$  where  $\langle uu \rangle$  is **high**.  $U_c$  not matching  $\langle u \rangle$  where  $\langle uu \rangle$  **weak**.



# Trends with axial location



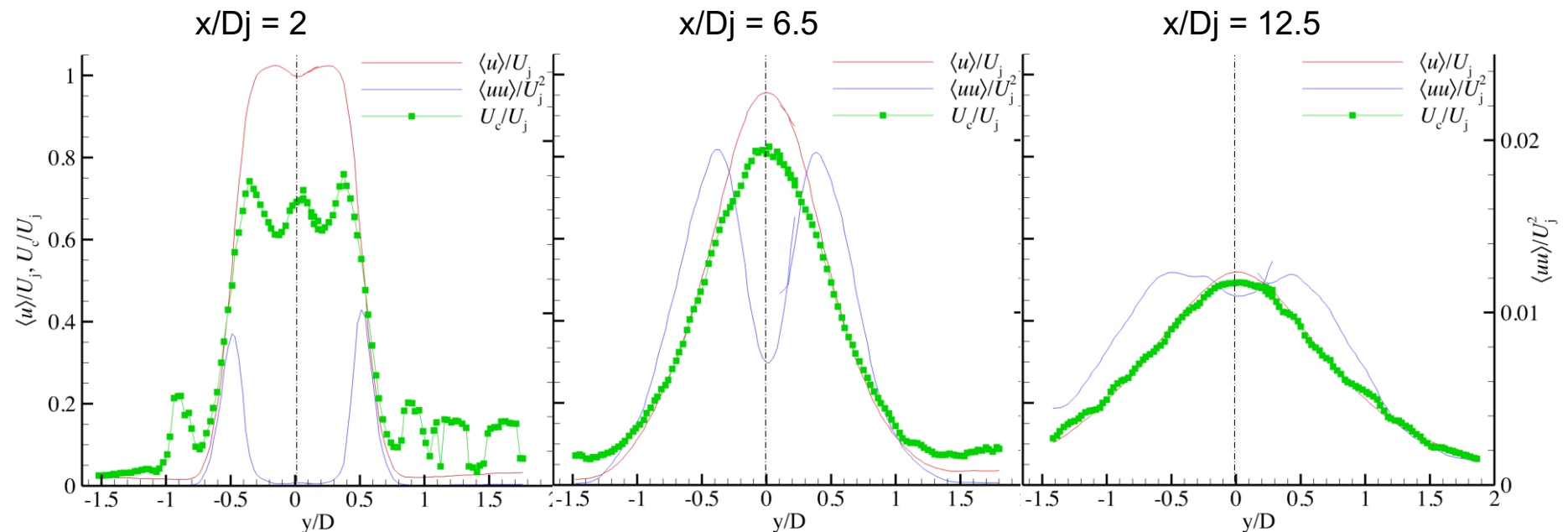
- Single-stream jet (unheated  $Ma = 0.5$ )
- $U_c \sim \langle u \rangle$  where  $\langle uu \rangle \gg 0$
- Interesting details around wake of plug on centerline and outside jet near nozzle



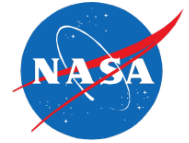
# Impact of heat



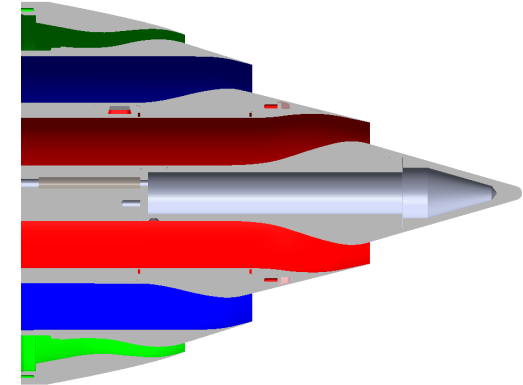
- Single-stream jet ( $T_s/T_\infty=2.7$ ,  $U_j/c_\infty = 1.48$ )
- Convection speed roughly same as mean velocity where  $\langle uu \rangle \neq 0$



# Axisymmetric multi-stream jets



- Nozzle hardware from three-stream externally mixed experiments of Henderson
  - Axisymmetric (C1T1) with  $A1:A2:A3 = 1:2.5:1$
- Flow conditions
  - Representative of engines
  - Chosen for variations in shear layers
  - Hope to see variations in convection speed



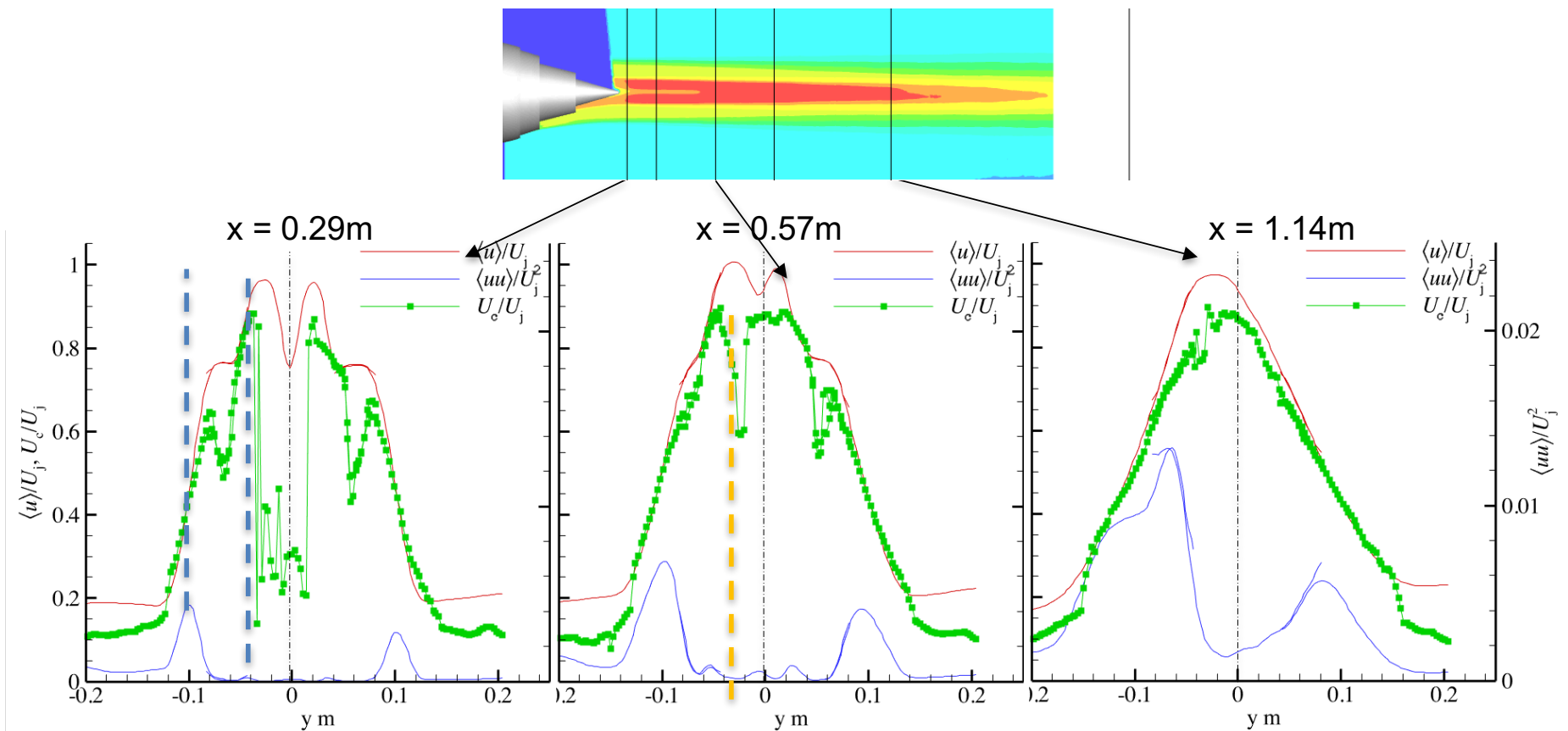
Setpoint	NPR <sub>1</sub>	NTR <sub>1</sub>	NPR <sub>2</sub>	NTR <sub>2</sub>	NPR <sub>3</sub>	Mf	V [m/s]	V <sub>2</sub> [m/s]	V <sub>3</sub> [m/s]	V <sub>4</sub> [m/s]
58833	1.5	3	1.8	1.25	1.8	0.3	430	330	330	102
58533	1.5	3	1.8	1.25	1.5	0.3	430	330	275	102
58233	1.5	3	1.8	1.25	1.2	0.3	430	330	190	102
58033	1.5	3	1.8	1.25	1.06	0.3	430	330	102	102
58030	1.5	3	1.8	1.25	1	0	430	330	0	0
55833	1.5	3	1.5	1.25	1.8	0.3	430	275	330	102
85210	1.8	1.25	1.5	1.25	1.2	0	330	275	190	0
88533	1.8	3	1.8	1.25	1.5	0.3	510	330	275	102

Henderson, B.S., and Wernet, M.P. "Characterization of Three-Stream Jet Flow Fields." *54th AIAA Aerospace Sciences Meeting*. 2016.

# Two-stream jet



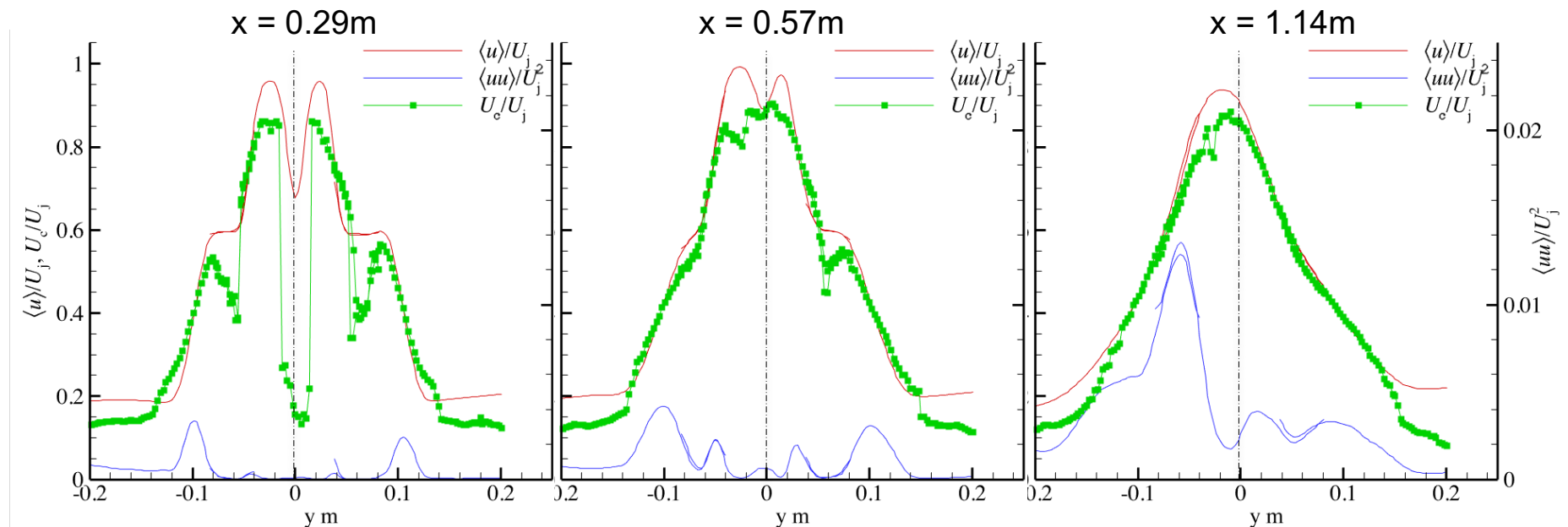
- 'Dual stream' jet (Velocity ratios 430:330:330:102)
- 'Axisymmetric' jet not so symmetric in reality.
- Where  $\langle uu \rangle$  is relatively small,  $U_c$  closer to nearest  $\langle u \rangle$  where  $\langle uu \rangle$  is large.



# Three-stream jet

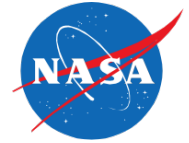


- Three-stream jet (Velocity ratios 430:275:330:102)
- Tertiary stream mixes out by first measurement station
  - Only two shear layers present
- Strong asymmetry grows
  - Asymmetry in  $\langle uu \rangle$  much stronger than in  $\langle u \rangle$
- $U_c$  still tracks  $\langle u \rangle$





# Source of Asymmetry?



- Due to geometric defect? Nonuniform ambient? Unstable hot core?
- Compare with and without flight stream, with and without hot core.
- Asymmetry in all, especially  $\langle uu \rangle$ .
- Constant in plots is geometry.
- Never assume symmetry!

All unheated

430:330:0:102

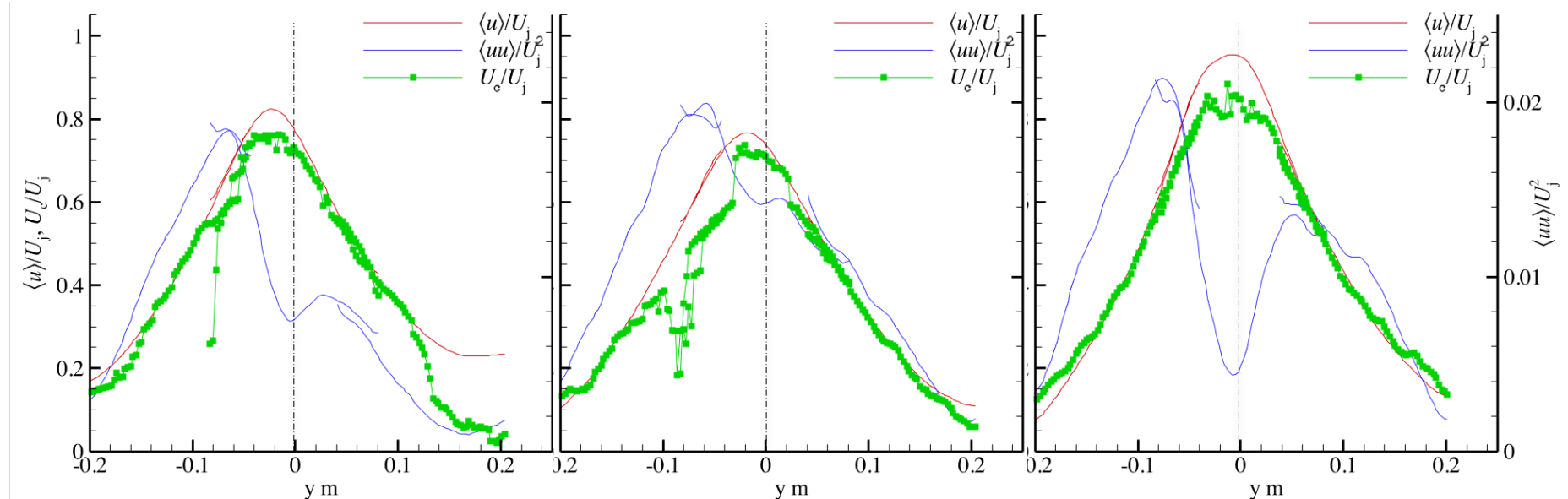
x = 1.52m

430:330:0:0

x = 1.52m

330:275:190:0

x = 1.52m

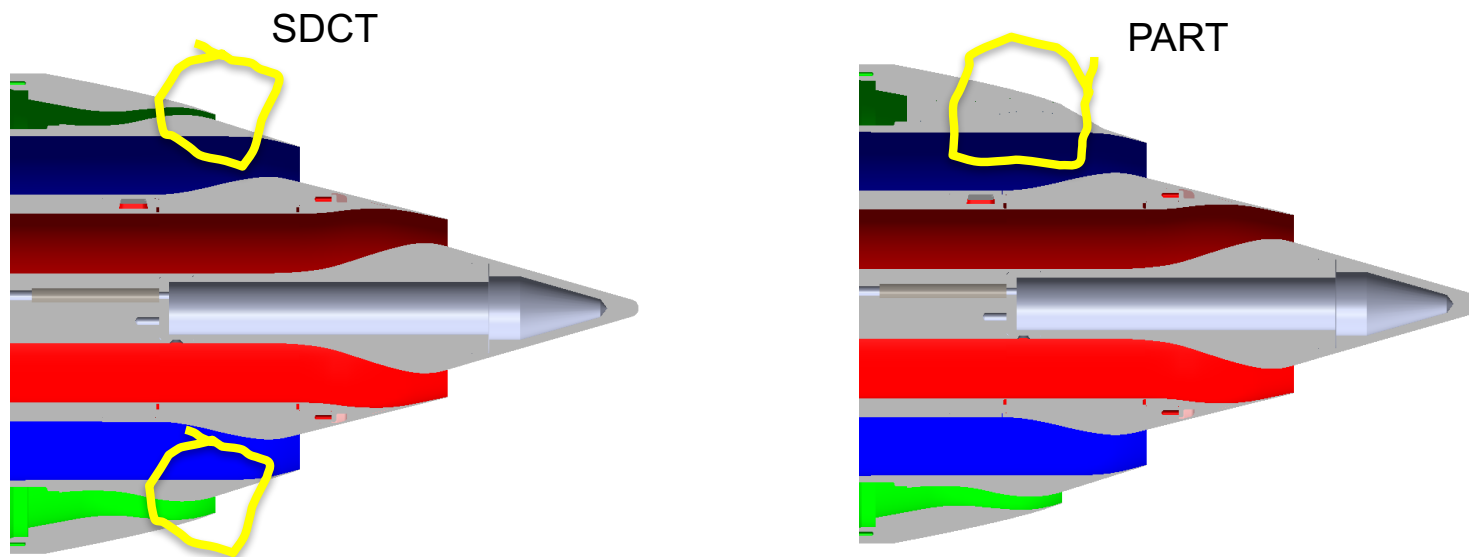


# Non-axisymmetric multi-stream jets



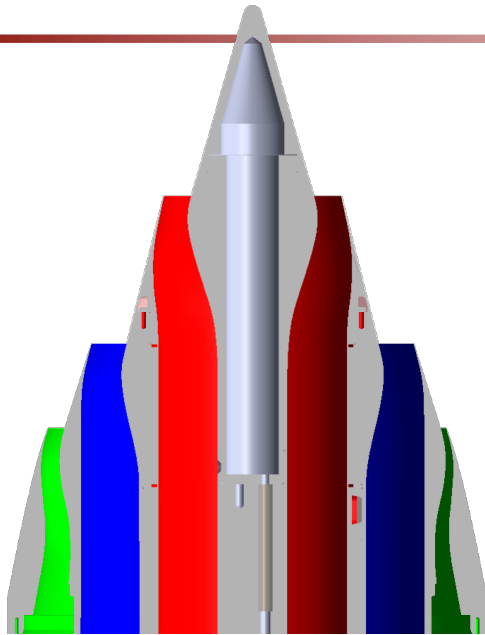
- Asymmetric velocity profiles
  - Offset (SDCT) with  $\Delta z = 4\text{mm}$  ( $D_3 = 294\text{mm } \phi$ )
  - Partial duct (PART) with  $180^\circ$  tertiary stream
- Demonstrated non-axisymmetric sound fields

B.S. Henderson & D.L. Huff. "The Aeroacoustics of Offset Three-Stream Jets for Future Commercial Supersonic Aircraft", AIAA 2016-2992

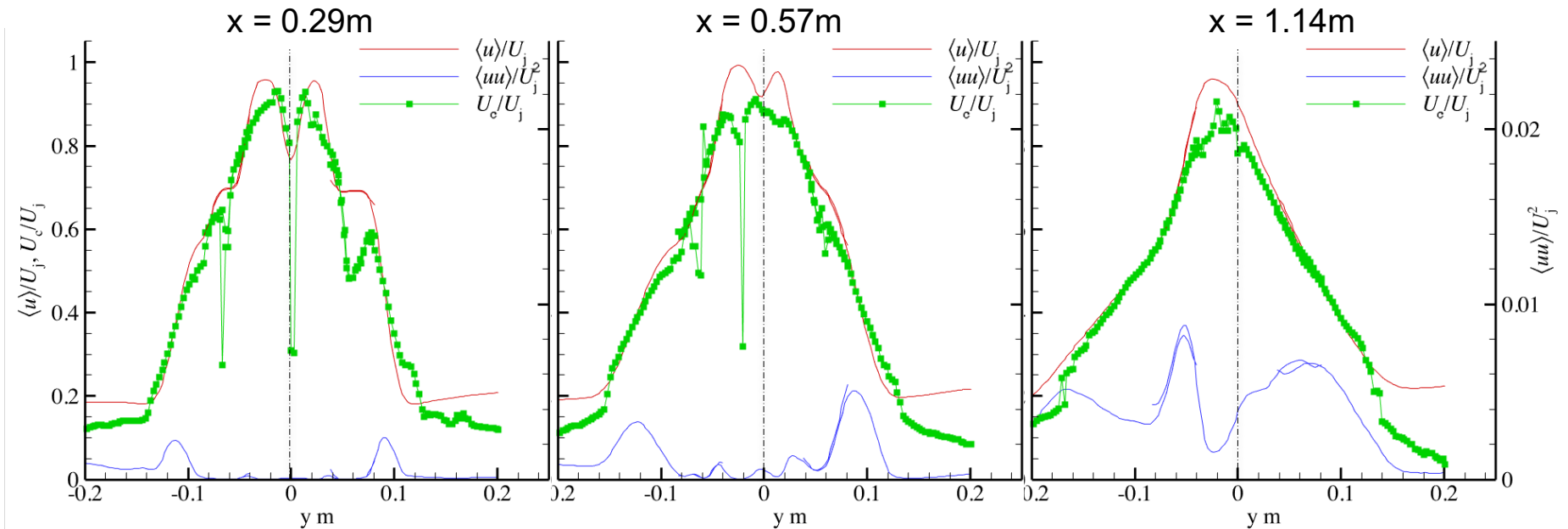


Setpoint	NPR <sub>1</sub>	NTR <sub>1</sub>	NPR <sub>2</sub>	NTR <sub>2</sub>	NPR <sub>3</sub>	Mf	V <sub>1</sub> [m/s]	V <sub>2</sub> [m/s]	V <sub>3</sub> [m/s]	V <sub>4</sub> [m/s]
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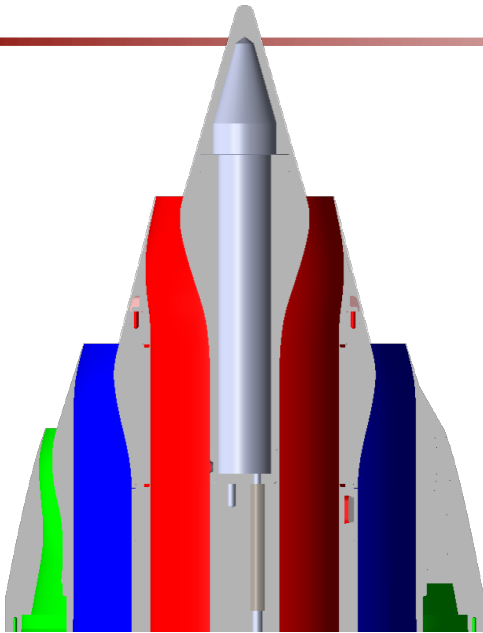
# Three-stream offset jets--SDCT



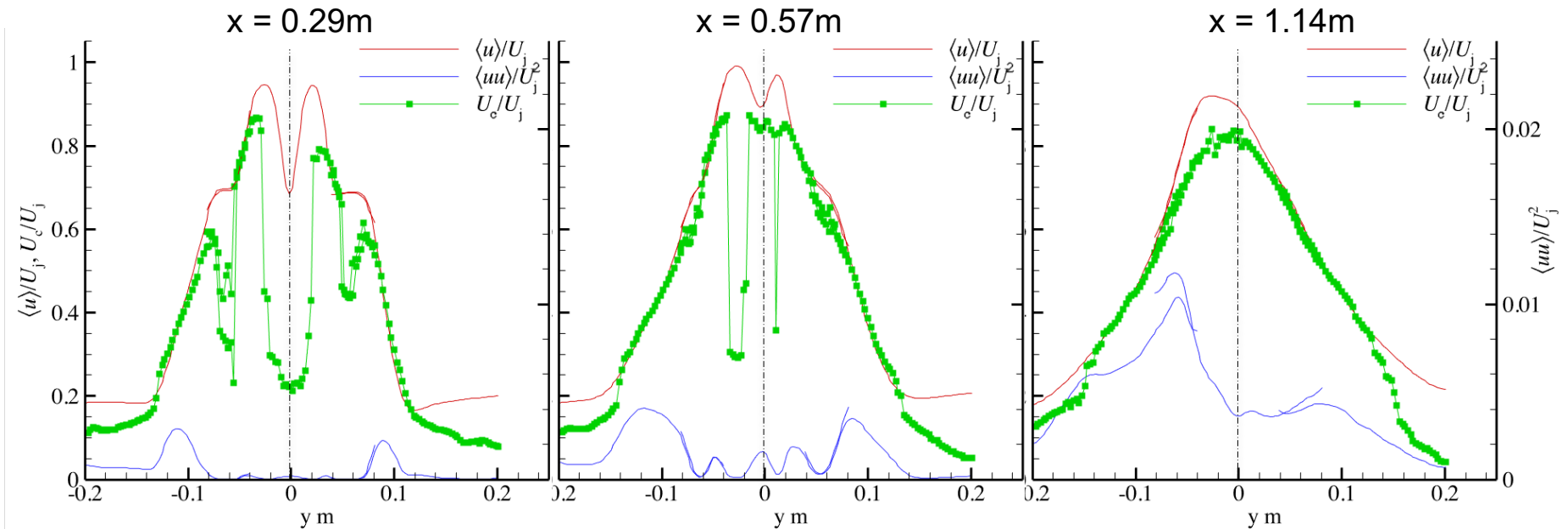
- Three-stream jet (Velocity ratios 430:330:275:102) with offset tertiary
- Tertiary stream evident on thick side (negative  $y$ ) at  $x=0.29\text{m}$
- Offset peak  $\langle u \rangle$  by  $x=1.14\text{m}$
- $Uc$  still tracks  $\langle u \rangle$ .



# Three-stream offset jets--PART



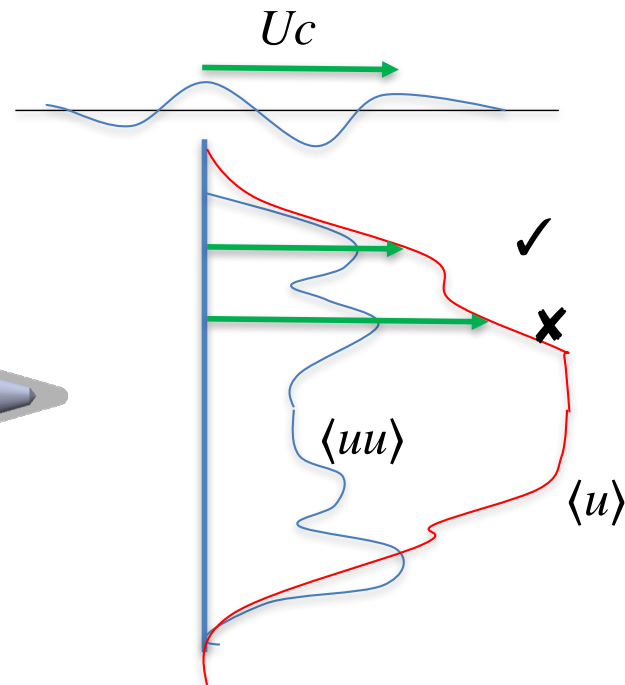
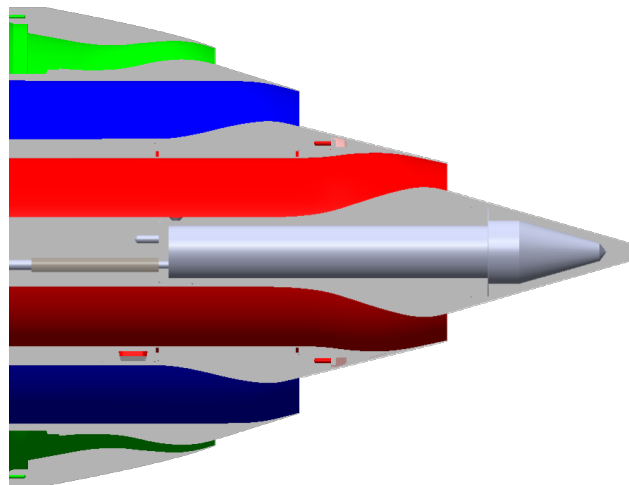
- Three-stream jet (Velocity ratios 430:330:275:102) with 180° tertiary (negative y)
- Tertiary stream reduced shear initially.
- Offset peak  $\langle u \rangle$  by  $x=1.14\text{m}$
- $U_c$  still tracks  $\langle u \rangle$



# Conclusion



- **Rule:**  $U_c$  follows  $\langle u \rangle$ , where  $\langle uu \rangle$  is strong. Where  $\langle uu \rangle$  is not strong,  $U_c$  is biased toward  $U_c$  where  $\langle uu \rangle$  is strong.
- Seems to be true for  $U_c$  of near-field hydrodynamic pressure as well.



# Summary

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- For single jets,  $\langle uu \rangle$  peaks around  $\langle u \rangle / U_j = 0.6$ , hence this value is dominant in most measurements, including local hydrodynamic pressure at jet edge.
- Applying the Rule to multi-stream jets:  $U_c$  of near-field hydrodynamic wave packets will be most influenced by closest (outermost) shear layer.
- If convection speed of near-field hydrodynamic wave packet determines source strength, then sound source is controlled by outermost shear layer.
- For engineering use,  $U_c = \langle u \rangle$  is a good assumption for bulk turbulence.
  - Where  $U_c \neq \langle u \rangle$ , then  $\langle uu \rangle$  too small to matter anyway.